



Mensionization Complementation

The Mathematics of Hermetic Alchemy

INDEX C

Successive Derivatives of the Differential Dimensions

(Differential 3rd-dimension) $(\alpha + \beta)^3$

$$f^1(\alpha + \beta)^3 = 3(\alpha + \beta)^2 \quad \text{1st derivative (three sets of 4 Elements=1Tria Prima)}$$

$$f^2(\alpha + \beta)^3 = 6(\alpha + \beta)^1 \quad \text{2nd derivative (Hexagram String Length)}$$

(Differential 4th-dimension) $(\alpha + \beta)^4$

$$f^1(\alpha + \beta)^4 = 4(\alpha + \beta)^3 \quad \text{1st derivative (4 Hexagram Lattice-Engines 4 Tria Prima)}$$

$$f^2(\alpha + \beta)^4 = 12(\alpha + \beta)^2 \quad \text{2nd derivative (12 sets of 4 Elements)}$$

$$f^3(\alpha + \beta)^4 = 24(\alpha + \beta)^1 \quad \text{3rd derivative (24 bit String Length)}$$

(Differential 5th-dimension) $(\alpha + \beta)^5$

$$f^1(\alpha + \beta)^5 = 5(\alpha + \beta)^4 \quad \text{1st derivative (5 Differential 4th Dimension Spinars)}$$

$$f^2(\alpha + \beta)^5 = 20(\alpha + \beta)^3 \quad \text{2nd derivative (20 Hexagram Lattice-Engines 20 Tria Prima)}$$

$$f^3(\alpha + \beta)^5 = 60(\alpha + \beta)^2 \quad \text{3rd derivative (60 sets of 4 Elements)}$$

$$f^4(\alpha + \beta)^5 = 120(\alpha + \beta)^1 \quad \text{4th derivative (120 bit String Length)}$$

(Differential 6th-dimension) $(\alpha + \beta)^6$

$$f^1(\alpha + \beta)^6 = 6(\alpha + \beta)^5 \quad \text{1st derivative (6 Differential 5th Dimension Spinars)}$$

$$f^2(\alpha + \beta)^6 = 30(\alpha + \beta)^4 \quad \text{2nd derivative (30 Differential 4th Dimension Spinars)}$$

$$f^3(\alpha + \beta)^6 = 120(\alpha + \beta)^3 \quad \text{3rd derivative (120 Hexagram Engines-120 Tria Prima)}$$

$$f^4(\alpha + \beta)^6 = 360(\alpha + \beta)^2 \text{ 4}^{\text{th}} \text{ derivative (360 sets of 4 Elements)}$$

$$f^5(\alpha + \beta)^6 = 720(\alpha + \beta)^1 \text{ 5}^{\text{th}} \text{ derivative (720 bit String Length)}$$

Differential 7th-dimension $(\alpha + \beta)^7$

$$f^1(\alpha + \beta)^7 = 7(\alpha + \beta)^6 \quad \text{1}^{\text{st}} \text{ derivative (7 differential 6}^{\text{th}} \text{ dimension Spinars)}$$

$$f^2(\alpha + \beta)^7 = 42(\alpha + \beta)^5 \quad \text{2}^{\text{nd}} \text{ derivative (42 differential 5}^{\text{th}} \text{ dimension Spinars)}$$

$$f^3(\alpha + \beta)^7 = 210(\alpha + \beta)^4 \quad \text{3}^{\text{rd}} \text{ derivative (210 differential 4}^{\text{th}} \text{ dimension Spinars)}$$

$$f^4(\alpha + \beta)^7 = 840(\alpha + \beta)^3 \quad \text{4}^{\text{th}} \text{ derivative (840 Hexagram Engines-840 Tria Prima)}$$

$$f^5(\alpha + \beta)^7 = 2520(\alpha + \beta)^2 \quad \text{5}^{\text{th}} \text{ derivative (2520 sets of 4 Elements)}$$

$$f^6(\alpha + \beta)^7 = 5040(\alpha + \beta)^1 \quad \text{6}^{\text{th}} \text{ derivative (5040 bit String Length)}$$

Differential 8th-dimension $(\alpha + \beta)^8$

$$f^1(\alpha + \beta)^8 = 8(\alpha + \beta)^7 \quad \text{1}^{\text{st}} \text{ derivative (8 differential 7}^{\text{th}} \text{ dimension Spinars)}$$

$$f^2(\alpha + \beta)^8 = 56(\alpha + \beta)^6 \quad \text{2}^{\text{nd}} \text{ derivative (56 differential 6}^{\text{th}} \text{ dimension Spinars)}$$

$$f^3(\alpha + \beta)^8 = 336(\alpha + \beta)^5 \quad \text{3}^{\text{rd}} \text{ derivative (336 differential 5}^{\text{th}} \text{ dimension Spinars)}$$

$$f^4(\alpha + \beta)^8 = 1680(\alpha + \beta)^4 \quad \text{4}^{\text{th}} \text{ derivative (1680 differential 4}^{\text{th}} \text{ dimension Spinars)}$$

$$f^5(\alpha + \beta)^8 = 6720(\alpha + \beta)^3 \quad \text{5}^{\text{th}} \text{ derivative (6720 Hexagram Engines 6720 Tria Prima)}$$

$$f^6(\alpha + \beta)^8 = 20160(\alpha + \beta)^2 \quad \text{6}^{\text{th}} \text{ derivative (20,160 sets of 4 Elements)}$$

$$f^7(\alpha + \beta)^8 = 40,320(\alpha + \beta)^1 \quad \text{7}^{\text{th}} \text{ derivative (40,320 bit String Length)}$$

Differential 9th-dimension $(\alpha + \beta)^9$

$$f^1(\alpha + \beta)^9 = 9(\alpha + \beta)^8 \quad \text{1}^{\text{st}} \text{ derivative (9 differential 8}^{\text{th}} \text{ dimension Spinars)}$$

$$f^2(\alpha + \beta)^9 = 72(\alpha + \beta)^7 \quad \text{2}^{\text{nd}} \text{ derivative (72 differential 7}^{\text{th}} \text{ dimension Spinars)}$$

$$f^3(\alpha + \beta)^9 = 504(\alpha + \beta)^6 \quad \text{3}^{\text{rd}} \text{ derivative (504 differential 6}^{\text{th}} \text{ dimension Spinars)}$$

$$f^4(\alpha + \beta)^9 = 3024(\alpha + \beta)^5 \quad \text{4}^{\text{th}} \text{ derivative (3024 differential 5}^{\text{th}} \text{ dimension Spinars)}$$

$$f^5(\alpha + \beta)^9 = 15120((\alpha + \beta)^4 \quad \text{5}^{\text{th}} \text{ derivative (15,120 differential 4}^{\text{th}} \text{ dimension Spinars)}$$

$$f^6(\alpha + \beta)^9 = 60480(\alpha + \beta)^3 \quad \text{6}^{\text{th}} \text{ derivative (60,480 Hexagram Engines 60,480 Tria Prima)}$$

$$f^7(\alpha + \beta)^9 = 181,440(\alpha + \beta)^2 \text{ 7}^{\text{th}} \text{ derivative (181,140 sets of 4 Elements)}$$

$$f^8(\alpha + \beta)^9 = 362,880(\alpha + \beta)^1 \text{ 8}^{\text{th}} \text{ derivative (362,880 bit String Length)}$$

(Differential 10th-dimension) $(\alpha + \beta)^{10}$

$$f(\alpha + \beta)^{10} = 10(\alpha + \beta)^9 \quad \text{1}^{\text{st}} \text{ derivative (10 differential 9}^{\text{th}} \text{ dimension Spinars)}$$

$$f^2(\alpha + \beta)^{10} = 90(\alpha + \beta)^8 \quad \text{2}^{\text{nd}} \text{ derivative (90 differential 8}^{\text{th}} \text{ dimension Spinars)}$$

$$f^3(\alpha + \beta)^{10} = 720(\alpha + \beta)^7 \quad \text{3}^{\text{rd}} \text{ derivative (720 differential 7}^{\text{th}} \text{ dimension Spinars)}$$

$$f^4(\alpha + \beta)^{10} = 5040(\alpha + \beta)^6 \quad \text{4}^{\text{th}} \text{ derivative (5040 differential 6}^{\text{th}} \text{ dimension Spinars)}$$

$$f^5(\alpha + \beta)^{10} = 30,240(\alpha + \beta)^5 \text{ 5}^{\text{th}} \text{ derivative (30,240 differential 5}^{\text{th}} \text{ dimension Spinars)}$$

$$f^6(\alpha + \beta)^{10} = 151,200(\alpha + \beta)^4 \text{ 6}^{\text{th}} \text{ derivative (151,200 differential 4}^{\text{th}} \text{ dimension Spinars)}$$

$$f^7(\alpha + \beta)^{10} = 604,800((\alpha + \beta)^3 \text{ 7}^{\text{th}} \text{ derivative (604,800 Hexagram Engines 604,800 Tria Prima)}$$

$$f^8(\alpha + \beta)^{10} = 1,814,400(\alpha + \beta)^2 \text{ 8}^{\text{th}} \text{ derivative (1,814,400 sets of 4 Elements)}$$

$$f^9(\alpha + \beta)^{10} = 3,628,800(\alpha + \beta)^1 \text{ 9}^{\text{th}} \text{ derivative (3,628,800 bit String Length)}$$

